

Assumption-based argumentation for closed and consistent defeasible reasoning

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Outline

- Assumption-based argumentation
- Defeasible reasoning
- Properties: closedness and consistency
- Generalised assumption-based argumentation for properties
- Conclusions

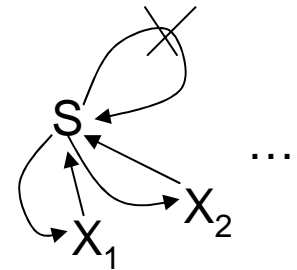
Argumentation

- It allows the evaluation of “*possible conclusions*” by considering reasons for and against (the conclusions and their support)
- It is useful to resolve conflicts (within or across “agents”)
- It helps understanding several problems:
 - in Philosophy, Logic, Law, Artificial Intelligence, Computer Science, etc
 - e.g. dispute resolution, decision-making, **defeasible reasoning**

Abstract argumentation (Dung AIJ95)

Given framework: $(arguments, attack)$


- A subset S of $arguments$ is
 - *Admissible* iff S does not attack S and S attacks each X that attacks S
 - *Preferred* iff S is maximally admissible
 - *Grounded* iff S is minimal such that it contains every a such that S attacks every X that attacks a
 - *Ideal* iff S is admissible and contained in each preferred set
 - ...



Abstract argumentation: different semantics

- Framework:

- arguments: $\alpha; \beta; \gamma; \delta$

- attack: 

- $\{\}$ grounded

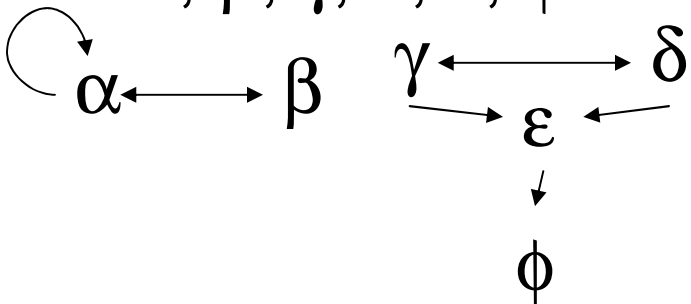
- $\{\beta, \delta\}$ and $\{\beta, \gamma\}$ (admissible and) preferred

- $\{\beta\}$ sceptical (all) preferred and ideal

Abstract argumentation: different semantics

- Ideal semantics is more sceptical than the sceptical preferred semantics:

- arguments: $\alpha; \beta; \gamma; \delta; \varepsilon; \phi$

- attacks: 

- $\{\beta, \delta, \phi\}$ and $\{\beta, \gamma, \phi\}$ preferred
- $\{\beta, \phi\}$ sceptical preferred
- $\{\beta\}$ ideal

Pros and cons of abstract argumentation

- 👍 Many instances/applications: non-monotonic reasoning, games etc
- 👍 Intuitive semantics/computation: game/dispute, “last word wins”
- 👎 A lot of work to identify arguments and attacks
- 👎 Overlapping between arguments ignored

Assumption-based argumentation

In assumption-based argumentation frameworks:

- *arguments* defined in terms of:
 - a **deductive system (rules)**
 - e.g. laws/regulations, policy rules, argumentation schemas
 - a set of candidate **assumptions**
 - e.g. uncertain/unsupported beliefs, decisions, “names” of rules
- *attacks* defined in terms of:
 - a notion of **contrary** of assumptions
 - e.g. Negation, alternative decisions, exceptions to rules

Assumption-based argumentation formally

- An assumption-based argumentation framework is $(\mathcal{L}, \mathcal{R}, A, \bar{\cdot})$ where
 - $(\mathcal{L}, \mathcal{R})$ is a **deductive system**
 - \mathcal{L} set of sentences
 - \mathcal{R} set of inference **rules**
 - $A \subseteq \mathcal{L}$ is a set of candidate **assumptions**
 - \bar{a} is the **contrary** of assumption a

Assumption-based argumentation formally (cntd)

- *arguments* are *tight* deduction supported by sets of assumptions
- an argument α *attacks* another argument β if the conclusion of α is the contrary of one of the assumptions supporting β

Example

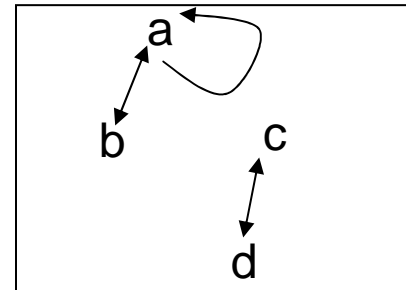
$(\mathcal{L}, \mathcal{R}, A, \bar{\cdot})$:

- $\mathcal{L} = \{a, b, c, d, \neg a, \neg b, \neg c, \neg d\}$
- $\mathcal{R} = \{\neg a \leftarrow a; \neg a \leftarrow b; \neg b \leftarrow a; \neg c \leftarrow d; \neg d \leftarrow c\}$
- $A = \{a, b, c, d\}$
- $\bar{a} = \neg a; \bar{b} = \neg b; \bar{c} = \neg c; \bar{d} = \neg d$

$\{a\} \vdash \neg a$ attacks itself

$\{b\} \vdash \neg a$ attacks $\{a\} \vdash \neg b$, etc

$\{a\}$ attacks itself
 $\{b\}$ attacks $\{a\}$, etc



All arguments supported by subsets of $\{b, d\}$ and $\{b, c\}$ are preferred

$\{b, d\}$ and $\{b, c\}$ preferred

Assumption-based argumentation: computation

- (various kinds of) dispute derivations
- CaSAPI (Credulous and Sceptical Argumentation: Prolog Implementation)

<http://www.doc.ic.ac.uk/~dg00/casapi.html>

<http://casapi.sourceforge.net/> (soon)

Defeasible reasoning

- Abstraction of many useful forms of reasoning, e.g. in law
- Defeasible framework is $\langle S, D \rangle$ with
 - S and D sets of rules, D not empty
 - S strict rules (beyond dispute)
 - D defeasible rules (can be disregarded)
 - (rules are of the form $B_1, \dots, B_m \rightarrow B_0$)

Properties of defeasible reasoning via argumentation

- Given “acceptable” set of arguments **Acc** and conclusions it supports **Conc**
 - Acc is **closed** iff for every $B_1, \dots, B_m \rightarrow B_0$ in S if B_1, \dots, B_m is in Conc then B_0 is in Conc
 - Acc is **consistent** iff for not L , both L and $\neg L$ are in Conc
- Most argumentation approaches to defeasible reasoning do not satisfy these properties [Caminada&Amgoud05,07]

Generalised assumption-based argumentation

- Instead of contrary of assumptions, non-empty set of pairs (X, Y) :
 - At least one assumption in X
 - X, Y non-empty (for simplicity)
 - X culprits to be withdrawn, $X+Y$ incompatible
- In conventional frameworks
 - X is assumption
 - Y is contrary of assumption

Generalised assumption-based argumentation

- Generalised notion of attack: A attacks B iff there exists (X, Y) and x in X such that
 - x in B
 - (subsets of) B supports $X - \{x\}$
 - (subsets of) A supports Y

Defeasible reasoning in generalised assumption-based argumentation

- Given $\langle S, D \rangle$ obtain $(\mathcal{L}, \mathcal{R}, A, \bar{})$
 - Assumptions are names of rules in D
 - \mathcal{R} are rules in S + rules in D with names as additional premises
 - The generalised contraries, for all L , are all
 - $(K, \{\neg L\})$, where $K \subseteq A$ is obtained from L by reasoning backwards with the rules until only assumptions are found

Conclusions

- Generalisation of assumption-based argumentation to support
 - Closed and consistent defeasible reasoning
 - Under any argumentation semantics
- Ongoing:
 - Generalise generalisation of assumption-based arg
 - Extension of CaSAPI to support generalisation
 - Automatisation of mapping of defeasible reasoning into generalised assumption-based argumentation
 - Study of other forms of defeasible reasoning (preferences, defeaters)

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